

# A Coding Technique for Spectral Shaping Ultra-Wideband Time Hopping Modulated Signals



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### Motivation

- Ultra-Wideband
  - Bandwidth: > 500MHz, or fractional BW > 20%
  - Frequency allocation: 3.1GHz-10.6GHz
  - Power spectrum density limited: -41.25 dBm/MHz
  - Many narrow-band interferers
  - 5GHz UNII band (802.11a, cordless telephones)
  - Airport and Marine Radars
     WiMAX

  - Signal generation: Impulse (Gaussian Monopulse), DSSS, Spectral Encoding, etc.

### Motivation for Interference Mitigation

- Narrowband interference (NBI)
  - Receiver: Spectral notch at the NBI frequencies
  - Transmitter Shape signal spectrum to avoid transmitting in NBI bands
    - Reduced power consumption
- Possible Solutions:
  - Filters with desired spectral shape
    - Filters with narrow notches (<5% of BW) difficult and expensive to build
  - Techniques for spectral shaping

    - Coding
       Spectral Encoding

### Look Ahead Block Inversion

- Described by Cavers and Marchetto (1991, Trans.
- Allows for arbitrary shaping of a digital signal's spectrum through data block inversion



- Insert Flag bits to indicate polarity of the block
- Issues:
  - Achievable Spectral Shaping

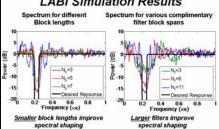
### Look Ahead Block Inversion



Goal: Determine the set of flag bit polarities that nimizes the power out of the complementary filter

· Minimizes total power transmitted in the notch  $J(r) = \sum_{i}^{r} RIS(i)$ 

### LABI Simulation Results



### UWB Time Hopping Signals

UWB TH Signal defined as:

UWB TH-BPSK

$$s(t) = \sum_{n} a(n)p(t - nT - t_{pn}(n) - t_{d}d(n))$$

$$T - \text{frame length} \qquad p(t) - \text{pulse}$$

$$t_{d} \cdot \text{time offset} \qquad a(n), d(n) - \text{data bits}$$

$$t_{pn} - \text{pseudo-random time offset}$$

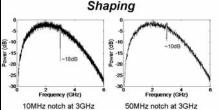
UWB TH-PPM

### LABI Applied to UWB TH signals



- · RIS is a measure of the power out of the
- Change the RIS calculation to take into account TH
- LABI calculates the RIS in the time domain. With UWB TH signals, it is preferable to calculate the RIS in the frequency domain

# Example of LABI PI Spectral



Smaller blocks lengths and longer filters improve performance. Similar notches can be obtained with LABI TO

### Intuition for LABI TO

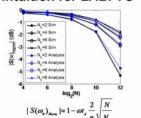
• Original Equation:  $S(\omega) = P(\omega) \sum_{n=1}^{N-1} e^{-j\omega(nT+t_{pn}(n))} e^{-j\omega t_{d}d(n)}$ 

· Using Taylor Series approximation:  $S(\omega) \approx P(\omega) \sum_{i=1}^{N-1} e^{i\omega}$ 

Goal: Choose d(n) such that U ≈ -V.

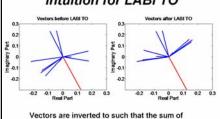
 $\approx P(\omega)[V+U]$ 

# Intuition for LABI TO



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### Intuition for LABI TO



the data modulated vectors best cancels the

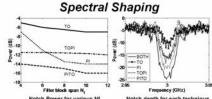
data independent vector.

### Improvements to LABI PI & TO

- Only varies one aspect of a UWB TH signal:
- pulse polarity timing position
- Third aspect: Time hopping sequence

  J. Bellorado et. al, "Time-Hopping Sequence Design for Narrowband Interference Suppression," VTC2004 Fall
- Improved performance by varying both
- LABI TOPI (Cascade) LABI PITO (Cascade)
- LABI BOTH (Simultaneously Pulse polarity and time offset)





- · Example: -14dB Notch

  - 2nd block in cascade has fixed Nf=6 LABI PI with Nf=10 (2^10 RIS calculations per trellis stage) LABI PITO with Nf=4 & Nf=6 (2^4 & 2^6)

## LABI for UWB TH: Timing Jitter **Effects**



· Problem: Timing Jitter (i.e. noise) adds an additional time offset to the pulse

$$s(t) = \sum_{n=0}^{N-1} p(t - \gamma_n - \delta_n)$$

 $\gamma_n = t_{pn}(n) + t_d d(n) + nT$  $\delta$  - jitter term,  $N(0, \sigma^2)$ N - number of pulses

